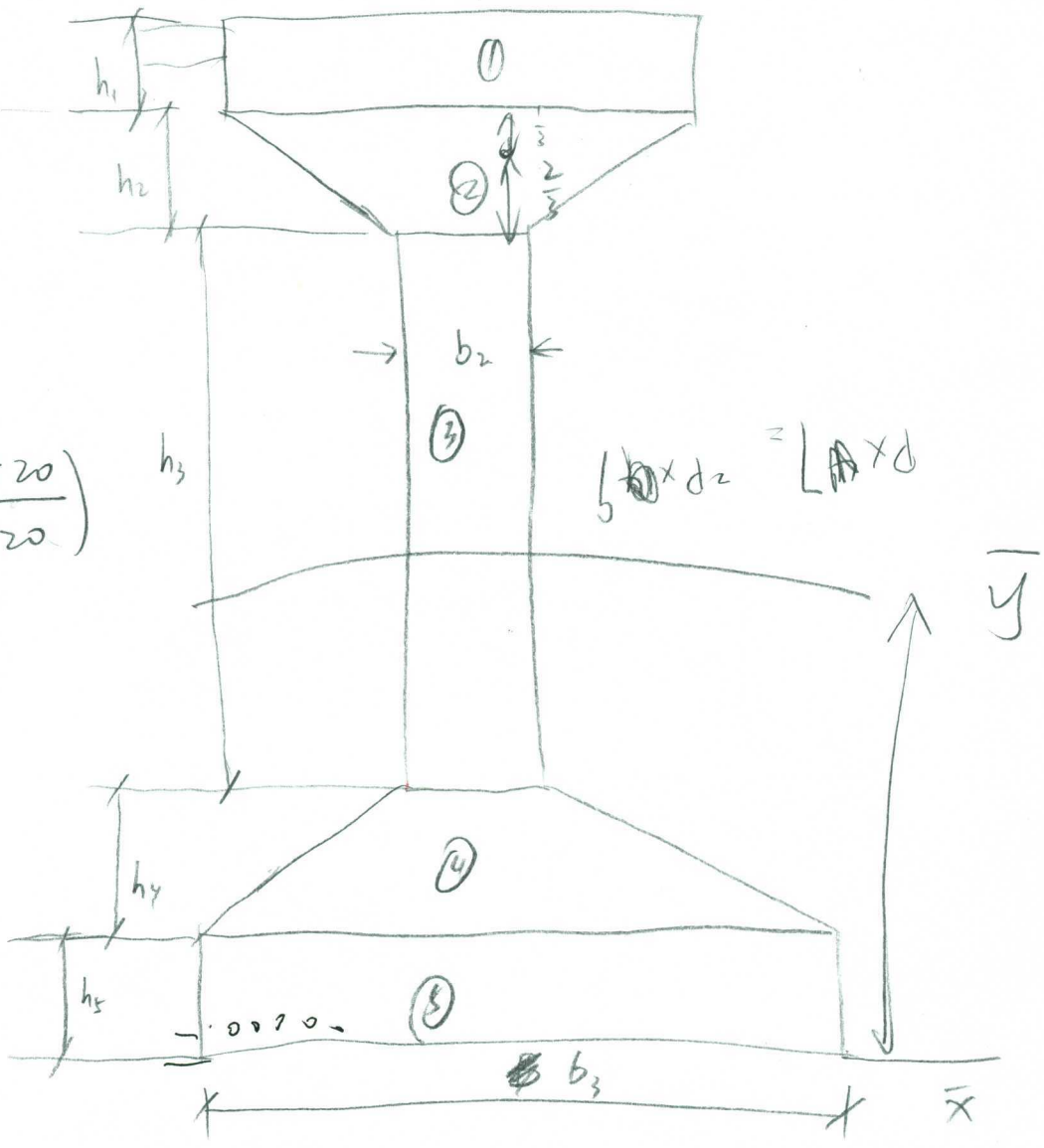
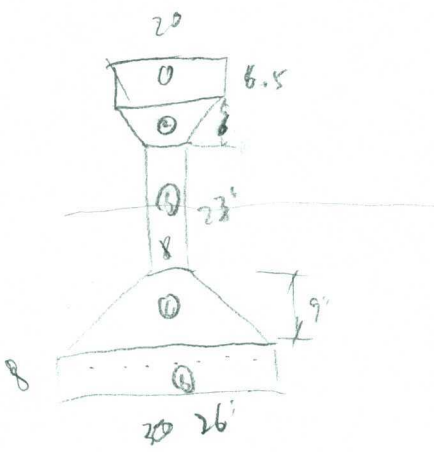


~~0.5~~ 0.2 12



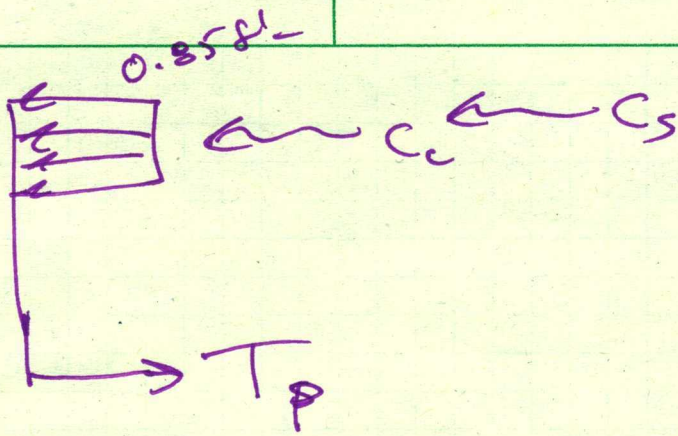
2.

$$b = \frac{b}{3} \left(\frac{2 \times 8 + 20}{8 + 20} \right)$$

$$b \times d_2 = L \times d$$

$$\frac{9}{3} \left(\frac{2 \times 8 + 26}{8 + 26} \right)$$

$$\frac{1}{2}$$



$$C_c + C_s - T_p = 0$$

$$C_c = 0.85 f'_c \cdot \beta \cdot c \cdot b$$

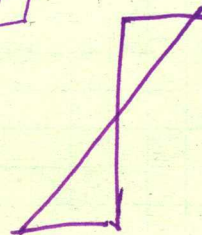
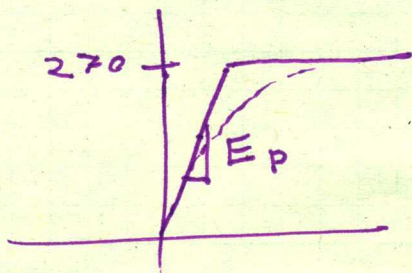
~~C_c~~

$$0.85 f'_c \beta \cdot c \cdot b + C_s - T_p = 0$$

$$C = \frac{T_p - C_s}{0.85 f'_c \cdot \beta \cdot b}$$

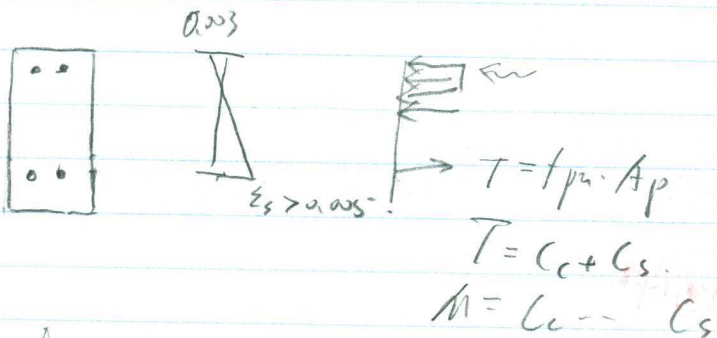
$$f_p = E_p \cdot \epsilon_p$$

$$T_p = f_p \cdot A_p = \boxed{E_p \cdot \epsilon_p \cdot A_p} \leq \epsilon_{oksi} (A_p)$$



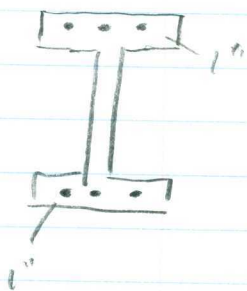
$$M_n > M_u$$

2 leg
Ultimate



release $\leq 0.1 \rho \leq 7.5 \sqrt{f_c'}$
 anchor $\leq \sigma_w \leq 7.5 \sqrt{f_c'}$
 $M_u > 100$ kip ft
 ultimate $\leq M_u < 273$ K ft.

f_c' from mixture



$$f_c' =$$

$$f_c' = 9 \quad 4000 - 12000 \text{ psi}$$

$$f_p = 270 \text{ ksi}$$

$$\text{Service} = 20 \text{ k}$$

$$\text{factor} = 1.6 \times 20 \text{ k} = 32 \text{ k} < 39 \text{ k}$$

$$M_n \leq 19.5 \times 7 = 137 \text{ K-ft}$$

Ⓟ β

④ $C_c = 0.85 f'_c \beta_1 c b$

⑤ $C_s = \underbrace{\epsilon_s}_{f_s} \cdot F_s \cdot A_s \leq f_y \cdot A_s$

FO

⑦ $T_p = \phi f_{py} A_{ps}$ → assume tension control
Create column.

$T = \phi f_{pa} A_{pa}$

← Reinberg-O's good relationship.

$T_p = C_s + C_c$

$M_n = T \cdot (d - \frac{a}{2})$

$\frac{c}{d} = \frac{0.003}{\epsilon_{ps} + 0.003}$

iteration

③ $C = d \cdot \frac{0.003}{\epsilon_{ps} + 0.003} = \frac{T_p - C_s}{0.85 f'_c \beta_1 b} = C$

$\frac{\epsilon'_s}{c-d'} = \frac{0.003}{c}$

① $\epsilon'_s = 0.003 \left(\frac{c-d'}{c} \right)$

② $\epsilon_{ps} = 0.003 \left(\frac{d-c}{c} \right)$

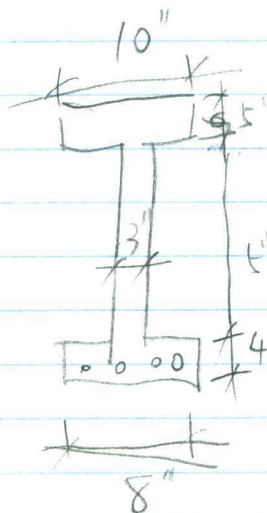
$M_n =$

Dec 2: spreadsheets 100%

Dec 8: Decision 6-8 options

Dec 10: response verify

Dec 15: Final Design



Start point

~~A_{ps}~~ area of strand

A_{ps}

$$f_r = 7.5 \sqrt{f'_c}$$

"/15 $d_s = 0$. do it at the end.

#s as many as we can possible in compression

$$f'_c > f'_c i \quad \text{but } 9 \leq f'_c \leq 12$$

~~200 ksi~~ $f_{pi} = 187$ ~~ksi~~ ~~100~~ ~~small~~ ~~195~~ ~~200~~ $L = 18'$

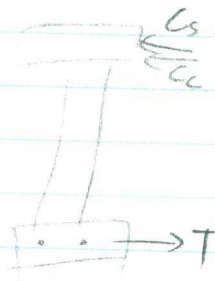
don't need S_v & S_h

$$f_{p,cr} = 200 \text{ ksi} \quad f_{pu} = 270 \text{ ksi}$$

$$\text{losses} = 18\%$$

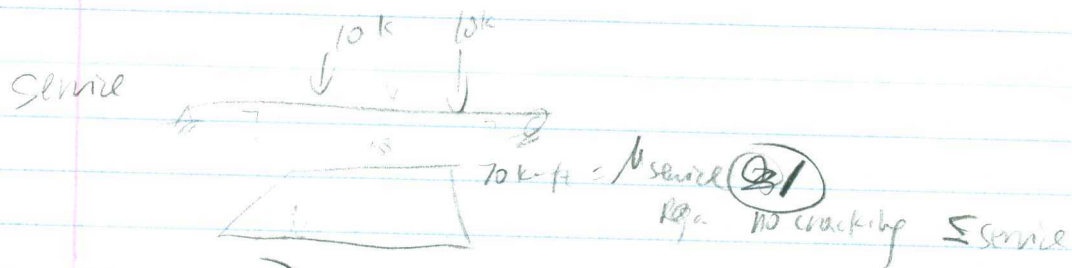
response: bot = (4)

top = (4)

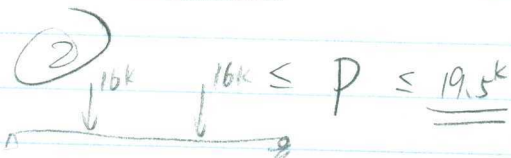


~~stress at release:~~

$$F_o = F_p = f_{pi} = 174 \text{ ksi} \times A'_{ps} \times \# \text{ of strands}$$



factor factored



Req. no fail \leq factored

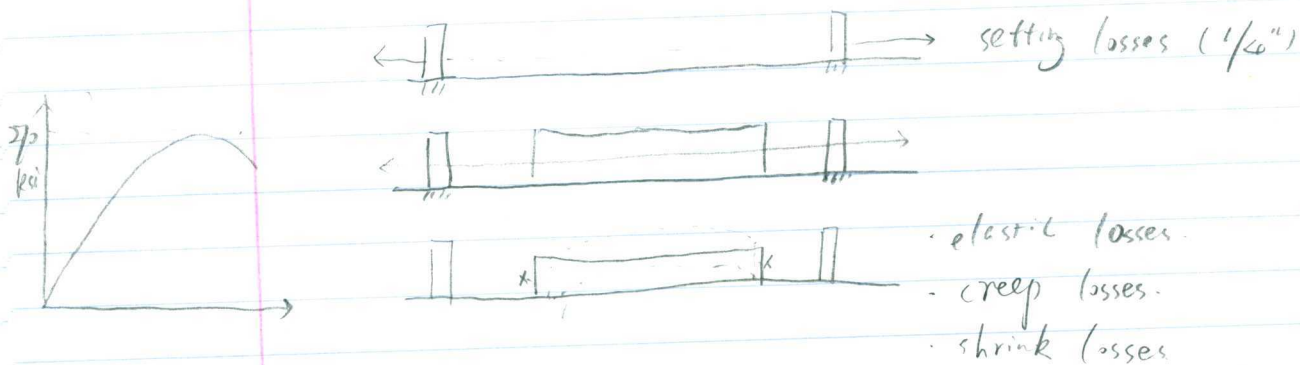
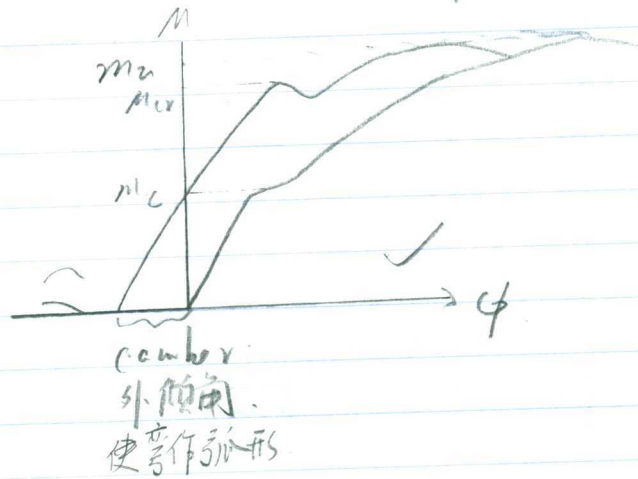
$\phi = 1.0$

LL & DL = 1.0

ACI CM7

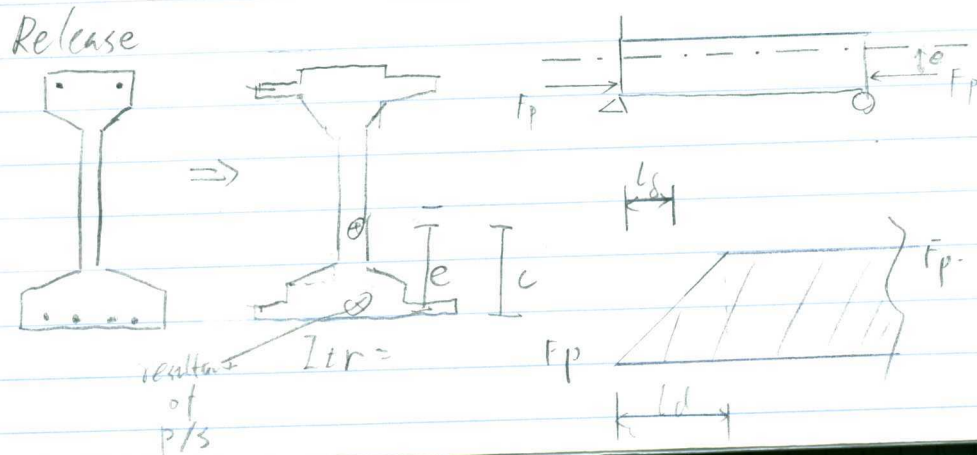
pg 7.72

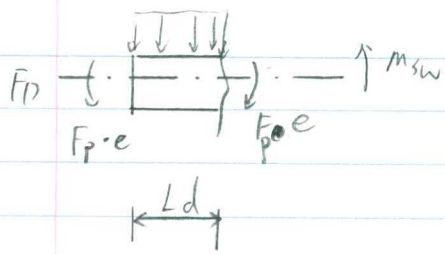
Not too much Comp at bottom
 Not too much tension at top



170ksi - 167ksi left in the concrete.

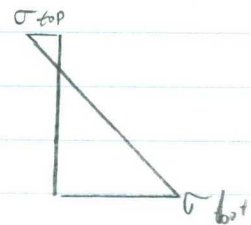
ACI code (6.6)





$$\sigma_{top} = \frac{-F_p}{A} + \frac{(F_p \cdot e) \cdot z}{I} - \frac{M_{sw} \cdot C_{top}}{I}$$

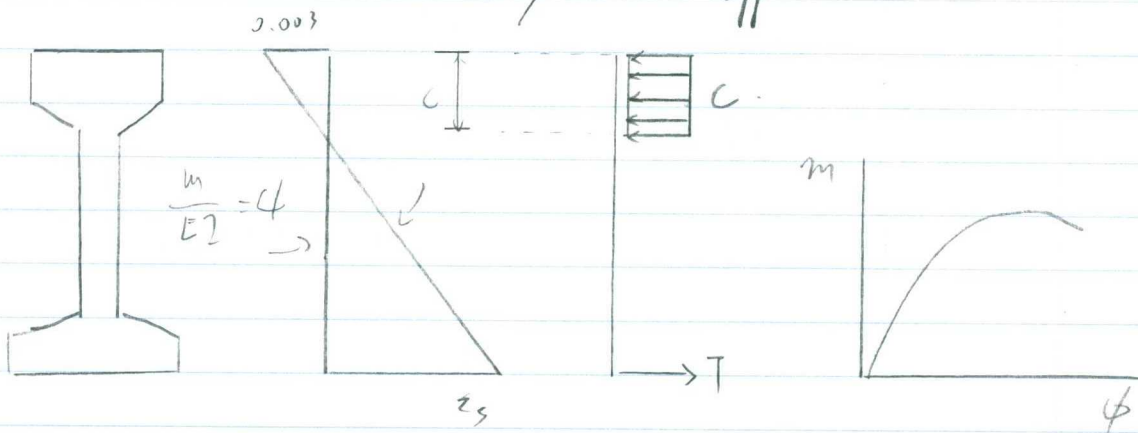
$$\sigma_{bot} = \frac{-F_p}{A} - \frac{F_p \cdot e \cdot I}{I} + \frac{M_{sw} \cdot C_{top}}{I}$$



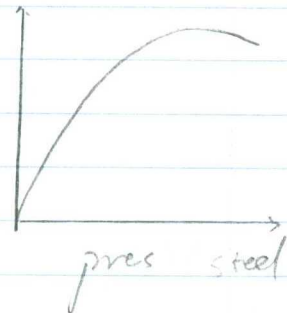
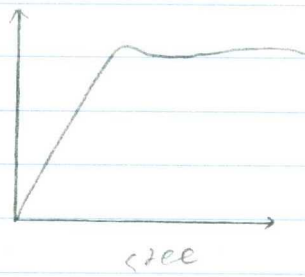
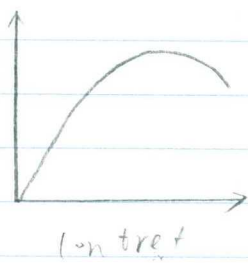
ACI 12.10

ACI p29 18.4.1

Layer section approach.



Stress Strain



Respond 2000 Software

base curve reference

Go

User defined shape (2 first - lon user 1).

Go through requirements -
concrete weight

spreadsheet
decision matrix

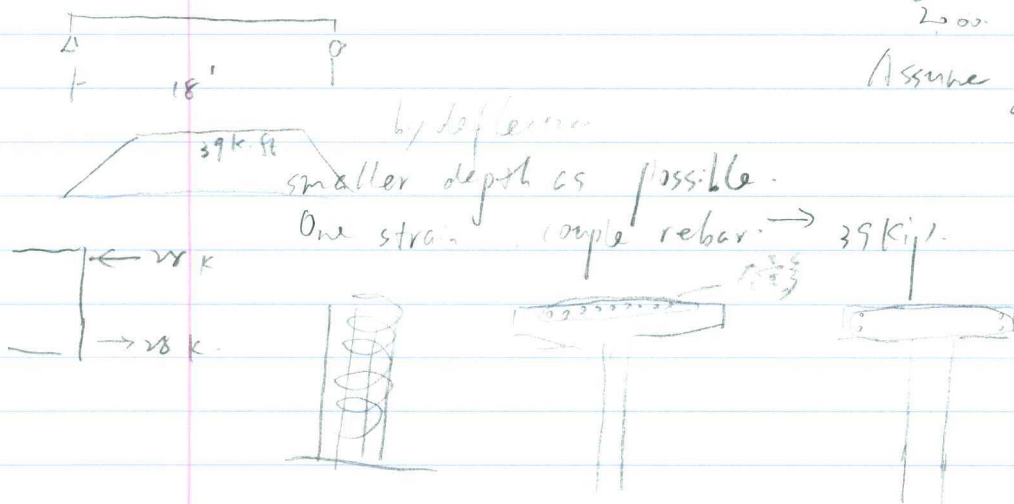
strongest / smallest.

more pres - lower deflection

- highest strain concrete (good?)

2000

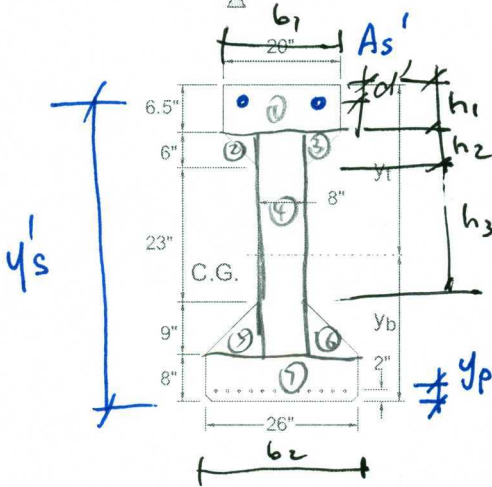
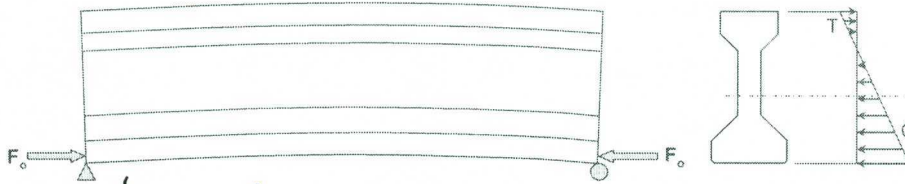
Assume get 10000 psi



3 design alternative

Matrix

Explain why do we do that.



Material Properties

- $f_{ci} = 8.1 \text{ ksi} \checkmark$
- $f_y = 60 \text{ ksi} \checkmark$
- $E_s = 29000 \text{ ksi} \checkmark$
- $A'_s = 2.38 \text{ in}^2$
- $y'_s = 50 \text{ in}$
- $A_{ps} = 0.153 \text{ in}^2$ (1 strand)
- $y_p = 2 \text{ in}$
- $E_{ci} = 5703 \text{ ksi}$ (measured)

Section Properties (Block-Out)

- $L_o = 20 \text{ ft}$
- $H = 52.5 \text{ in}$
- $y_b = 23.62 \text{ in}$
- $A_g = 758.4 \text{ in}^2$
- $I_g = 235067 \text{ in}^4$
- $F_o = 312 \text{ kip}$
- $d_b = 0.5 \text{ in}$

$A_{total} = 759.0$
 $A_{tr} = 767.9$

$E_{ci} = 57000 \sqrt{f_{ci}}$

Transfer Length

$f_{se} := \frac{F_o - 10 \text{ kip}}{12 \cdot A_{ps}} \quad f_{se} = 164.5 \text{ ksi}$
 $l_d := \frac{f_{se}}{3 \text{ ksi}} \cdot d_b \quad l_d = 27 \text{ in}$

E.S.17

f_{ci} specified compressive strength of concrete @ release
 A_{ps} area of prestressing steel in flexural tension zone.

$\frac{2}{3} \times 6 + 23 + 9 + 8$
 ~~$\frac{1}{3} \times 6$~~

Transformed Section Properties

$$n := \frac{E_s}{E_{ci}} \quad n = 5.1$$

$$y_{b, tr} := \frac{A_g \cdot y_b + (n-1) \cdot (A'_s \cdot y'_s + 12A_{ps} \cdot y_p)}{A_g + (n-1) \cdot (A'_s + 12A_{ps})} \quad y_{b, tr} = 23.742 \text{ in}$$

$$A_{tr} := A_g + (n-1) \cdot (A'_s + 12A_{ps}) \quad A_{tr} = 775.6 \text{ in}^2$$

$$I_{tr} := I_g + A_g \cdot (y_b - y_{b, tr})^2 + (n-1) \cdot [A'_s \cdot (y'_s - y_{b, tr})^2 + 12A_{ps} \cdot (y_p - y_{b, tr})^2] \quad I_{tr} = 245327 \text{ in}^4$$

Losses due to Elastic Shortening

AASHTO 9.16.2.1.2

$$f_{cir} := \frac{F_o}{A_g} + \frac{F_o \cdot (y_b - y_p)^2}{I_g} \quad f_{cir} = 1.03 \text{ ksi}$$

$$\Delta f_{pES} := \frac{E_s}{E_{ci}} \cdot f_{cir} \quad \Delta f_{pES} = 5.25 \text{ ksi}$$

$$\Delta F_{pES} := \Delta f_{pES} \cdot A_{ps} \cdot 12 \quad \Delta F_{pES} = 9.6 \text{ kip}$$

losses
187 ksi

Dead Load Moment due to Beam Selfweight

$$\omega_D := 0.145 \frac{\text{kip}}{\text{ft}^3} \cdot A_g$$

$$M_D := \frac{\omega_D \cdot l_d \cdot L_o}{2} - \frac{\omega_D \cdot l_d^2}{2}$$

$$M_D = 185 \text{ kip} \cdot \text{in}$$

KS
k/m²/in²

Top Fiber Stress at Transfer

$$f_{top} := \frac{-(F_o - \Delta F_{pES})}{A_{tr}} + \frac{(F_o - \Delta F_{pES}) \cdot (y_{b, tr} - y_p) \cdot (H - y_{b, tr})}{I_{tr}} - \frac{M_D \cdot (H - y_{b, tr})}{I_{tr}}$$

Tensile Strength Factor, $\text{factor} := \frac{f_{top}}{\text{psi} \cdot \sqrt{\frac{f'_{ci}}{\text{psi}}}} \quad \text{factor} = 4.0$

$f_{top} = 359 \text{ psi}$ ← **Max Tensile Stress**

Bottom Fiber Stress at Transfer

$$f_{bot} := \frac{-(F_o - \Delta F_{pES})}{A_{tr}} - \frac{(F_o - \Delta F_{pES}) \cdot (y_{b, tr} - y_p) \cdot (H - y_{b, tr})}{I_{tr}} + \frac{M_D \cdot (H - y_{b, tr})}{I_{tr}} \quad f_{bot} = -1139 \text{ psi}$$

Final calc

⊙ Cross section

rebar - check ACI 318 - min spacing // limitation $(h-2c) + h + (s+x) =$

□ → check σ @ release

□ → Estimate M_{cr}

□ → Estimate M_{ult} ϕM_n

○ → Predict Δ_{ult} *

○ → Response output

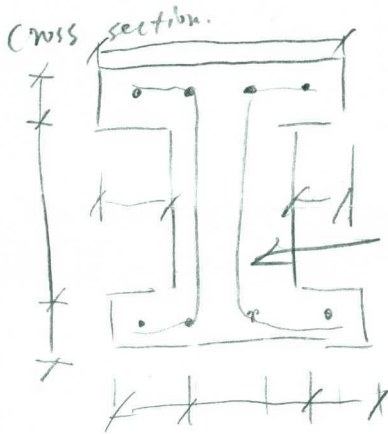
□ → shear reinforcement/capacity

○ → shop drawings

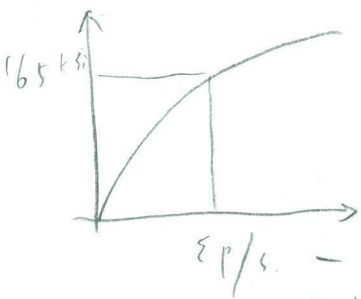
→ Full Elevations



rebar



WWF 4x4 / W44.0 x W4.0



After losses

$$5 + \frac{6}{3}$$

$$-2 + 7x - 5$$

$$-37 \frac{2}{7}$$

$$5 + \frac{2}{3}$$

Material spec

▷ concrete

▷ reinforcement

▷ strand

▷ fabric

$$-2 + \frac{7 \times 3}{3}$$

$$5 + \frac{2}{3}$$

$$-2 - \frac{7}{3}$$

$$H \frac{2}{7} \frac{2}{7} \times 3$$

$$\frac{6}{7} + \frac{1}{7}$$

$$X = 1 + 7t$$

$$X - 1 = 7t$$

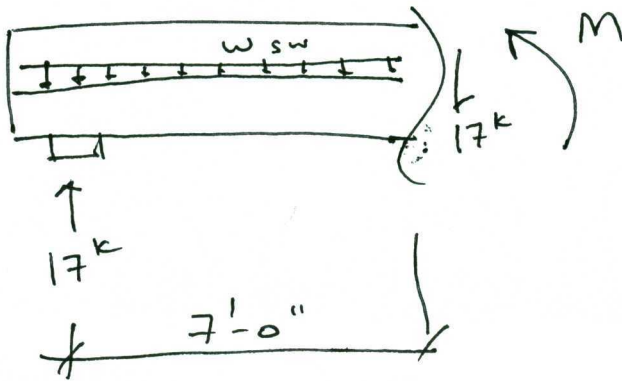
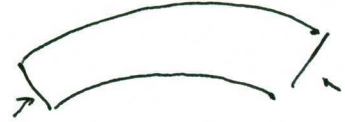
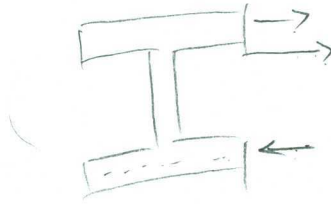
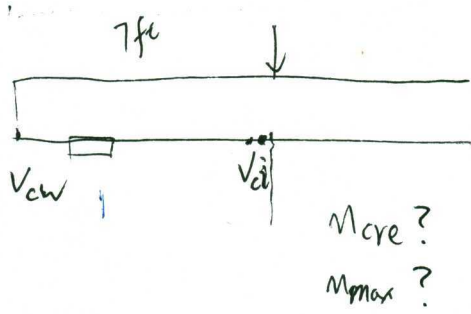
$$\frac{X-1}{7} = t$$

$$\frac{X+2}{7} = t, \quad \frac{y-5}{1} = t$$

$$\frac{y-2}{1} = t, \quad \frac{z-1}{3} = t$$

$$X = (-2)$$

$$\frac{h-2c}{2} + (1-h) + \frac{h}{2} + \frac{(s+x)}{2} =$$



$$f_{cr} =$$

$$V_d = w_{sw} * (7 \text{ ft})$$

$$V_i = 17^k - V_d$$

$$M_{cr} = \frac{I_{tr}}{y_t} \cdot \left[b \cdot \lambda \sqrt{f'_c} + f_{pe} - f_d \right]$$

$$f_{pe} = \left[-\frac{F_{pu}}{A_{tr}} - \frac{(F_{pu} \cdot e) \cdot C_{bot}}{I_{tr}} \right]$$

$$f_d = \frac{M_d \cdot C_{bot}}{I_{tr}}$$